Exercises

3.248 [03P] Prerequisites: [036],[03H].

Let $A_0 A_1 \dots A_n \dots$ sets of countable cardinality, for $n \in \mathbb{N}$. Show that $B = \bigcup_{k=0}^{\infty} A_k$ is countable.

Note that *B* is infinite-countable if for example there is at least one *n* for which A_n is infinite-countable.

Solution 1. [03q]