```
29.79 [OSQ] Prerequisites: [OH7], [OH9]. For each A \subseteq \mathbb{R}^n closed non-empty set, there exists B \subseteq A such that A = \partial B.

In which cases does there exist such a B that is countable?

In which cases does there exist such a B that is closed?
```

Exercises

Solution 1. **FOSR**7

See also round.

[OST]