23.33 [1T6] Prerequisites: [1MN], [1MK], [1T1]. Let be given $C \in \mathbb{C}^{n \times n}$, $F, A : \mathbb{R} \to \mathbb{C}^{n \times n}$ continuous, and the

Exercises

solution Y(t) of the ODE

$$\frac{d}{dt}Y(t) = A(t)Y(t) \quad , \quad Y(0) = \mathrm{Id} \quad .$$
 Solve the equation

Solve the equation
$$Y' = AY + F - Y(0) = C$$

X' = AX + F, X(0) = C,

where $X: \mathbb{R} \to \mathbb{C}^{n \times n}$, using Y(t) as an auxiliary function.

Solution 1. [177]